

Student Name: Student Number

## Dept. of Computer Engineering Second Exam, Second Semester: 2014/2015

Course Title: Course No:	Engi	ieering Analysis II (630262)			Date: Time A No. of	Date: 7/5/2015 Time Allowed: <b>50 minutes</b> No. of Pages: 1		
		NOTES: - Ro - A	ound AL ngles for	L your calcu trigonometr	ations to 4 significant digits ic functions are in radian scale	e		
Please choose	your s	ection:						
Instructor:		Dr. Mohammed M	ahdi		Eng. Anis Nazer		Eng. Sultan Al-Rushdan	
Lecture time:		ح ث خ 8:10		حثخ 11:10	ح ٹ خ 13:10		ن ر 11:15 🗆	
Question :	1:						<u>(6 marks)</u>	

## Consider the following data

X	1	1.5	2	2.1	2.6	3
у	3.5	2.1	1.1	1	0.5	0.25

Find the relation between x and y using data linearization for a function of the form  $f(x) = C e^{Dx}$ , then approximate y at x = 2.5

## **Question 2:**

a) For the following data, find the second order Lagrange interpolating polynomial f(x)<u>in the simplest form</u> then approximate f(8) (5 marks)

X	2	4	6
f(x)	8	12	16

b) Approximate the integration using composite trapezoidal rule with 5 sampling points

(4 marks)

$$\int_{1}^{2} \frac{1}{x(1+(\ln x)^{2})}$$

<u>(8 marks)</u>

## <u>(6 marks)</u>

Question 3:

(1.5 marks each)

Write the correct	choice	for the	following	questions
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Part	1	2	3	4
Answer				

Consider the following data to answer parts (1), (2)

X	1	2	3
у	1.5	2.2	3.9

**1)** Using  $2^{nd}$  order Newton interpolation, the value of  $b_2$  is:

a) 0 b) 0.5 c) 1.5 d) 2

**2)** Assume the relation is approximated using f(x) = x + 0.5, then SSE for this relation is:

a) 0 b) 0.5 c) 0.25 d) 0.7

**3)** Refer to the figure to approximate  $\int_{0.5}^{2.5} f(x) dx$  using composite trapezoidal with three sample points

- a) 2.445
- b) 2.565
- c) 2.390
- d) the integral cannot be approximated using trapezoidal rule



- 4) Using Lagrange interpolation for the points (a,b), (c,d) then  $L_1(x) =$
- a)  $\frac{x-a}{c-a}$  b)  $\frac{x-b}{b-a}$  c)  $\frac{x-c}{c-a}$  d)  $\frac{x-b}{c-b}$